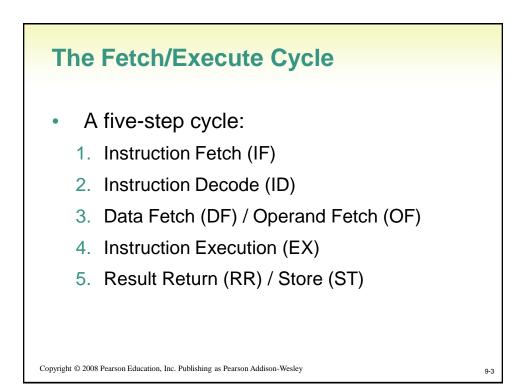
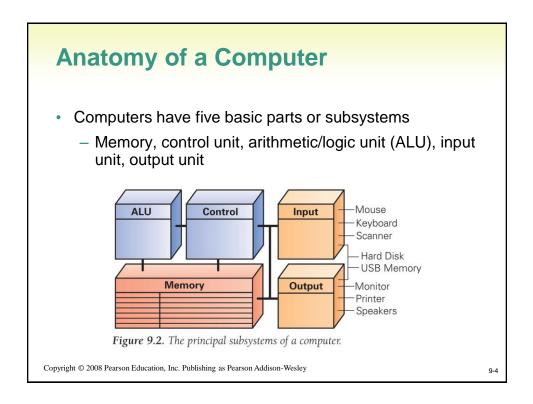


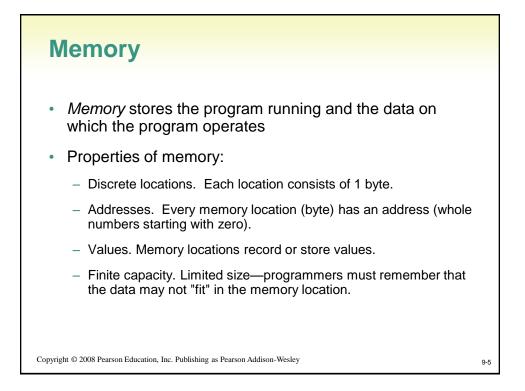
## **Instruction Execution Engines**

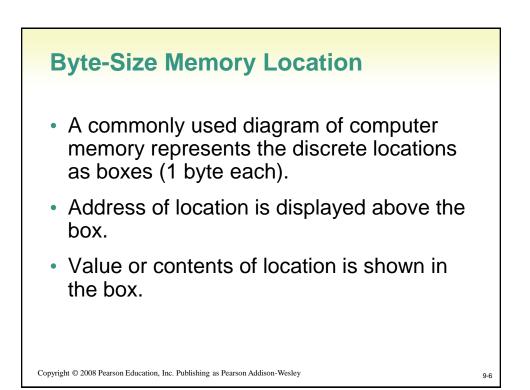
- · What computers can do
  - Deterministically perform or execute instructions to process information
  - The computer must have instructions to follow
- What computers can't do
  - Have no imagination or creativity
  - Have no intuition
  - Have no sense of irony, subtlety, proportion, decorum, or humor
  - Are not vindictive or cruel
  - Are not purposeful
  - Have no free will
  - Recent movies: Terminator, Matrix, AI

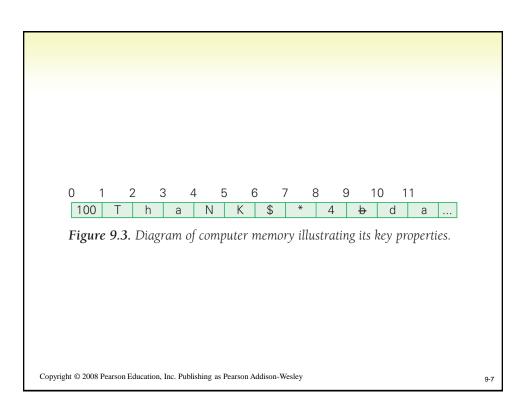
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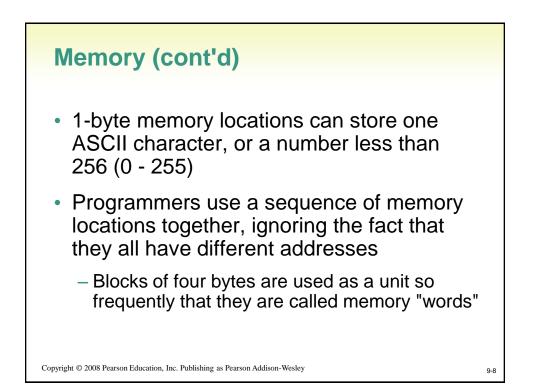


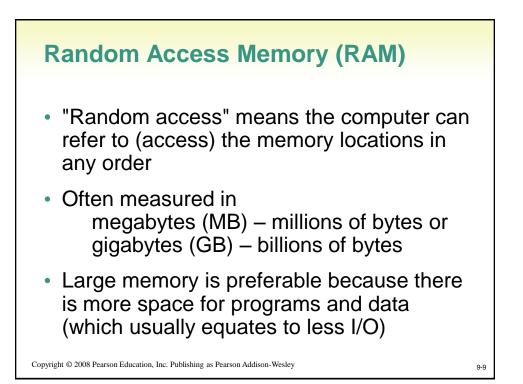


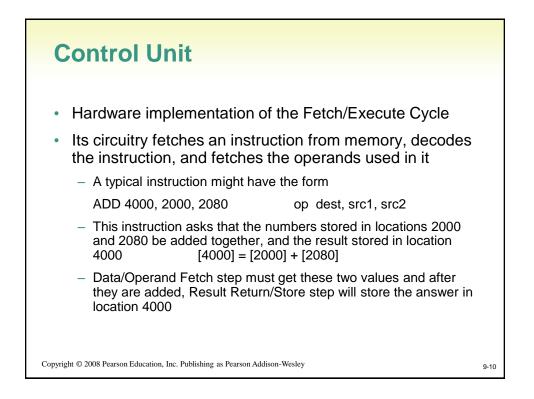


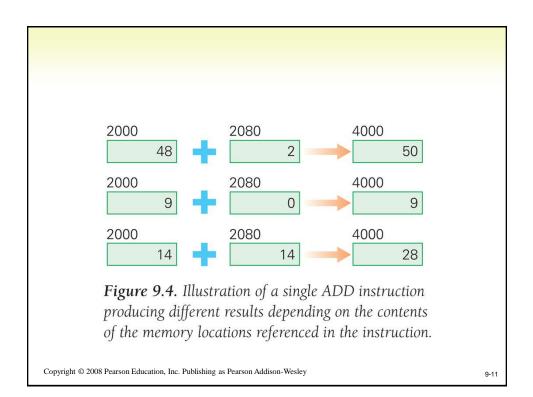


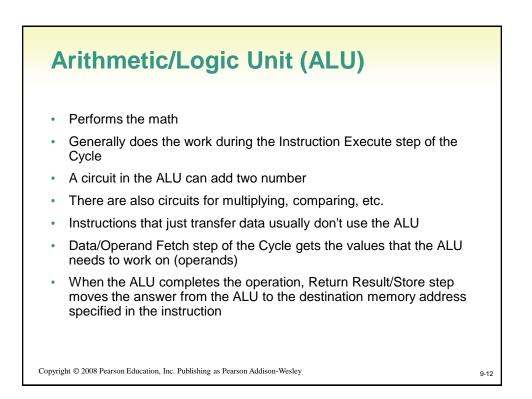


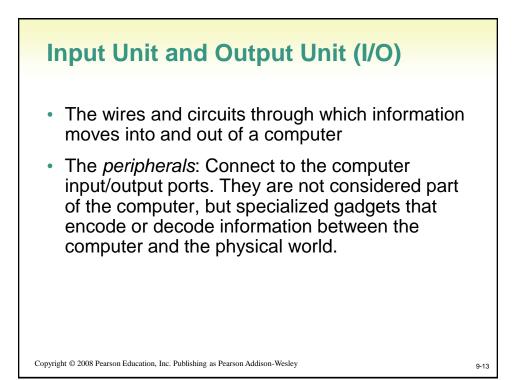


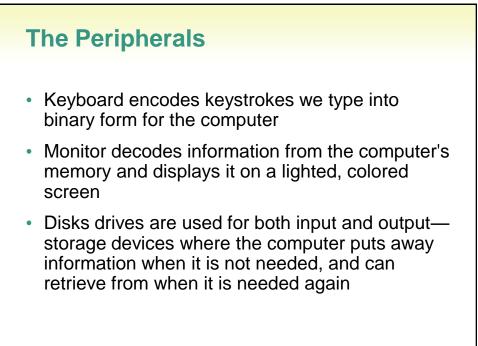




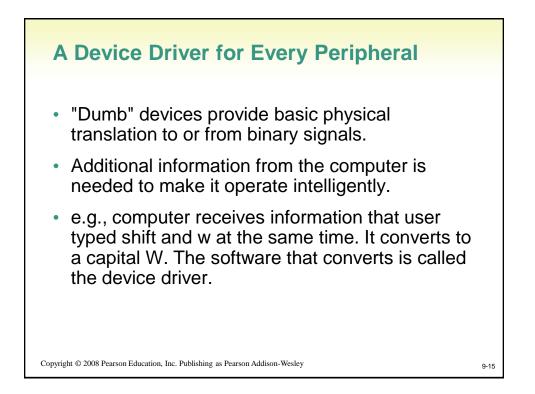


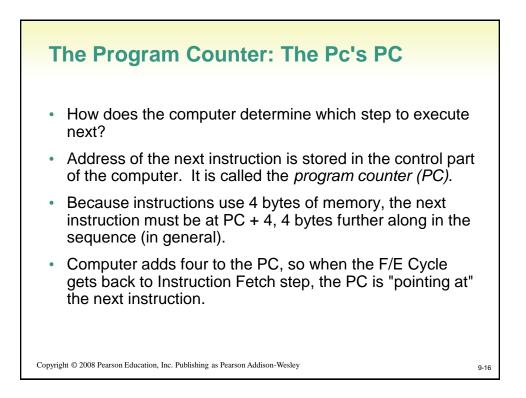


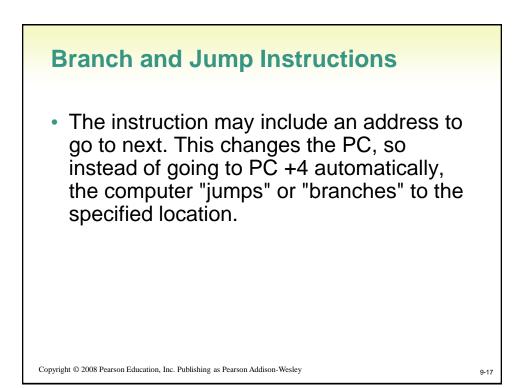


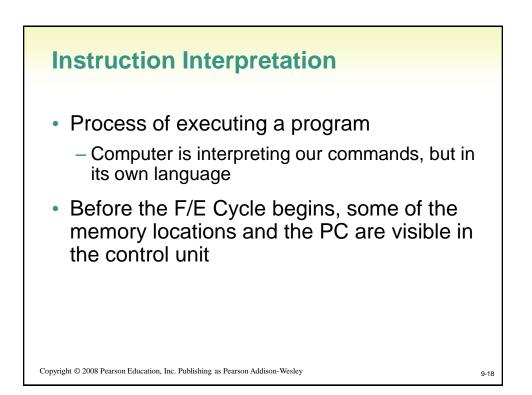


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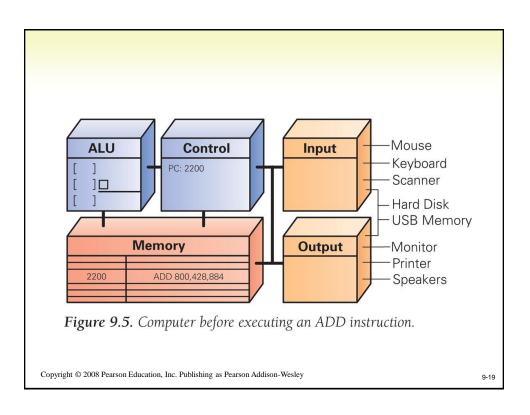


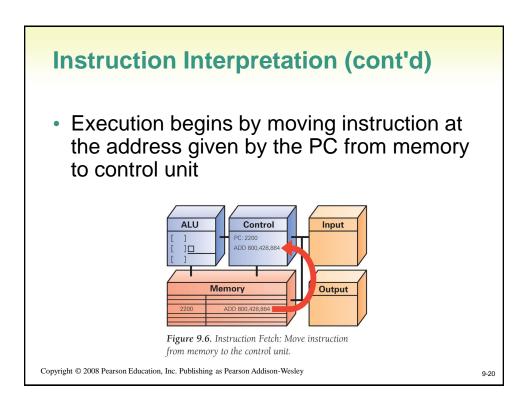


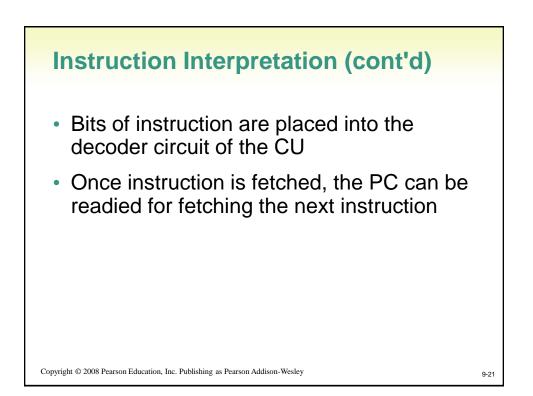


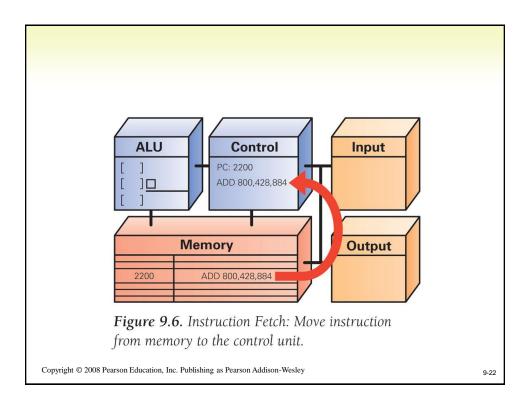


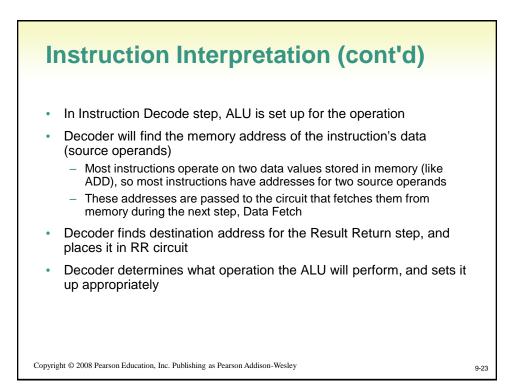
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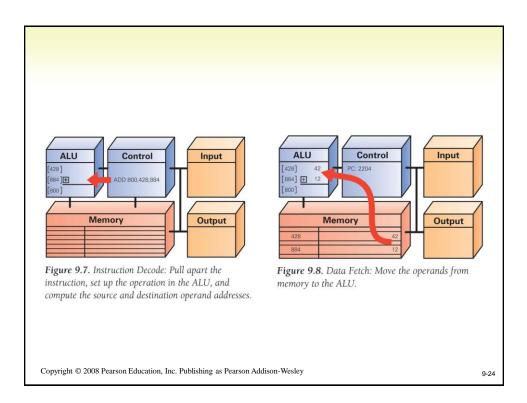


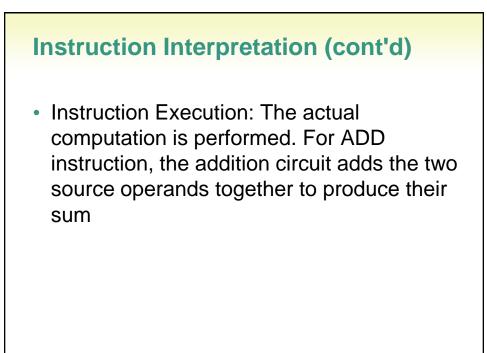




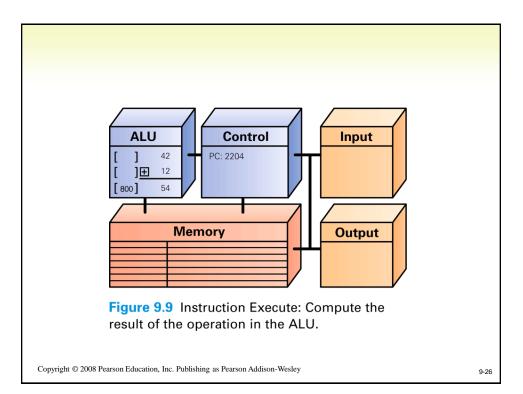


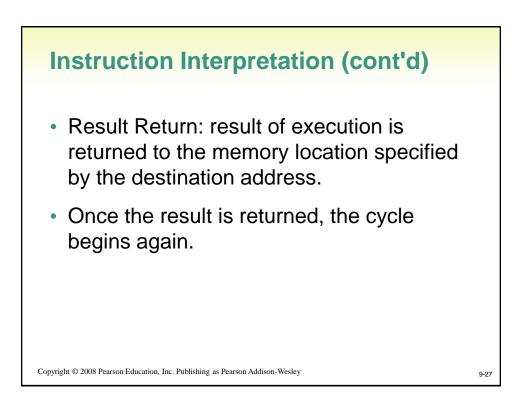


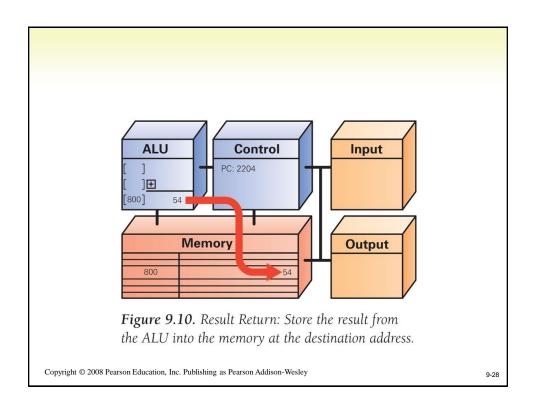


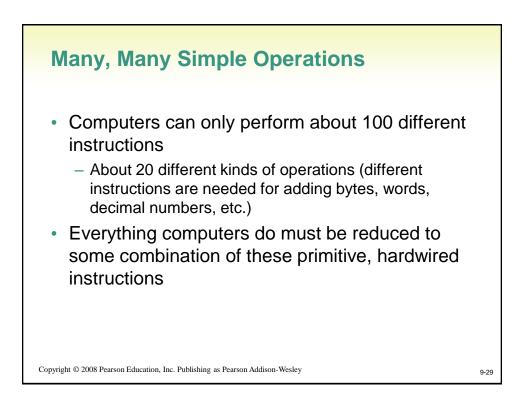


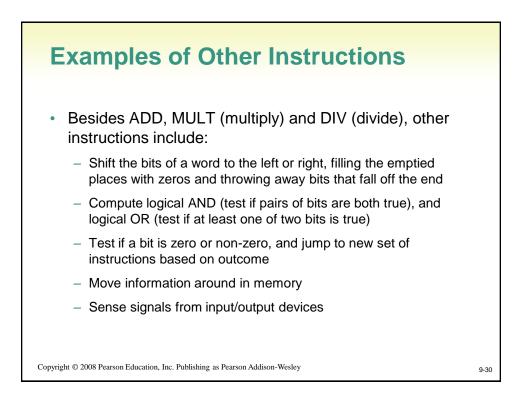


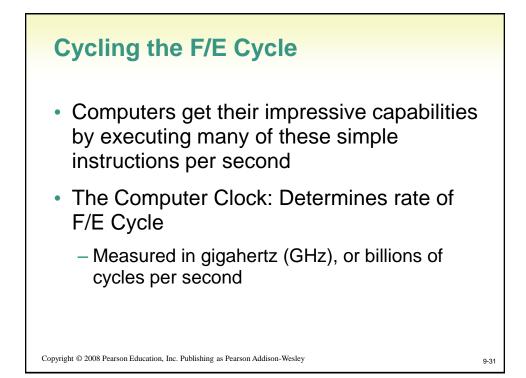








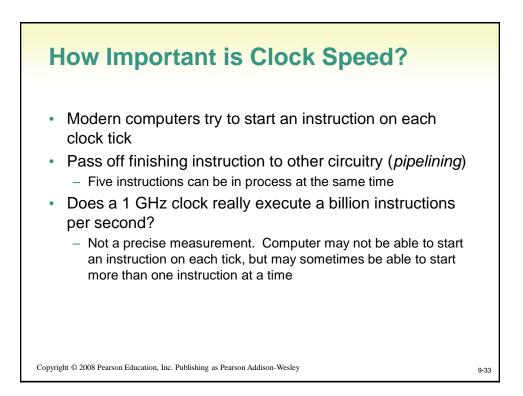


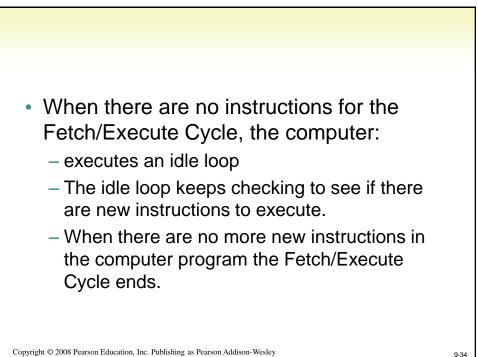


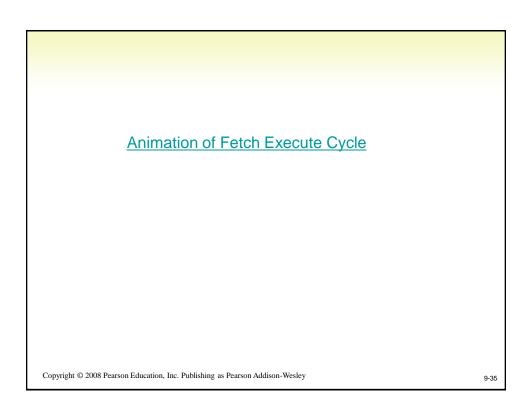
I					
	1000 <sup>1</sup>	kilo-	$1024^1 = 2^{10} = 1,024$	milli-	1000-1
	1000 <sup>2</sup>	mega-	$1024^2 = 2^{20} = 1,048,576$	micro-	1000-2
	1000 <sup>3</sup>	giga-	$1024^3 = 2^{30} = 1,073,741,824$	nano-	1000-3
	10004	tera-	$1024^4 = 2^{40} = 1,099,511,627,776$	pico-	1000-4
	10005	peta-	$1024^5 = 2^{50} = 1,125,899,906,842,624$	femto-	1000-5
	1000 <sup>6</sup>	exa-	$1024^6 = 2^{60} = 1,152,921,504,606,876,976$	atto-	1000-6
	10007	zetta-	$1024^7 = 2^{70} = 1,180,591,620,717,411,303,424$	zepto-	1000-7
	1000 <sup>8</sup>	yotta-	$1024^8 = 2^{80} = 1,208,925,819,614,629,174,706,176$	yocto-	1000-8

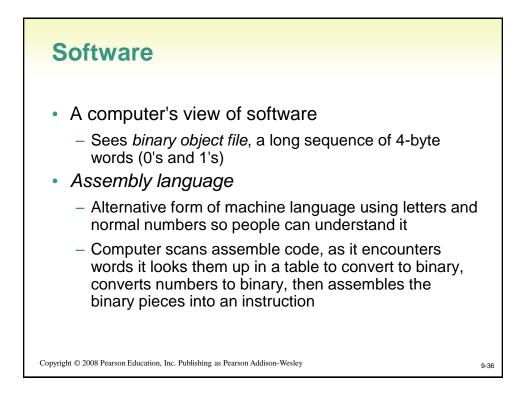
**Figure 9.11** Standard prefixes from the Système International (SI) convention on scientific measurements. Generally a prefix refers to a power of 1000, except when the quantity (for example, memory) is counted in binary; for binary quantities the prefix refers to a power of 1024, which is 2<sup>10</sup>.

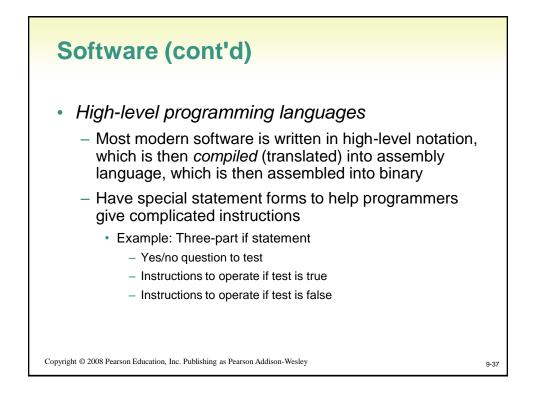
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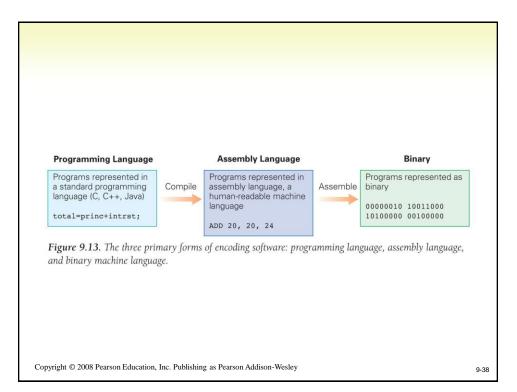










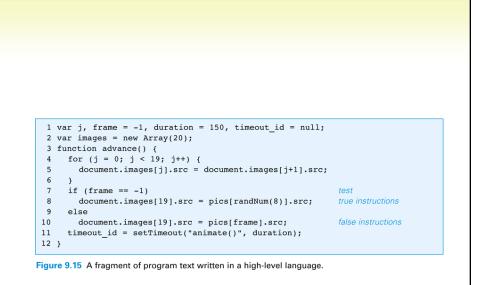


```
1 factorial:
2 bgtz $a0, doit # Argument > 0
3 li $v0, 1
                      # Base case, 0! = 1
4 jr $ra
                      # Return
5 doit:
                      # Allocate stack frame
6 sub $sp,8
7
   sw
        $s0,($sp)
                      # Position for argument n
   sw $ra,4($sp)
                      # Remember return address
8
9 move $s0, $a0
                      # Push argument
10 sub $a0, 1
                      # Pass n-1
11 jal factorial
12 mul $v0,$s0,$v0
                      # Figure v0 = (n-1)!
                      # Now multiply by n, v0 = n*(n-1)!
                       # Restore registers from stack
13 lw
       $s0,($sp)
14
   lw
        $ra,4($sp)
                       # Get return address
   add $sp,8
15
                       # Pop
16 jr
        $ra
                       # Return
```

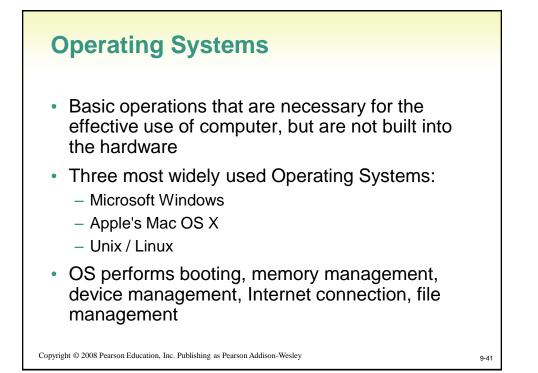
Figure 9.14 An assembly language program to compute *n*! for the MIPS computer.

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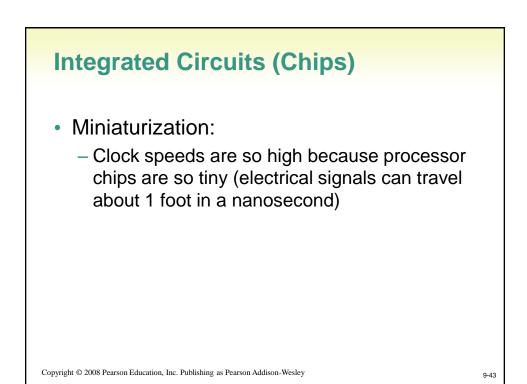


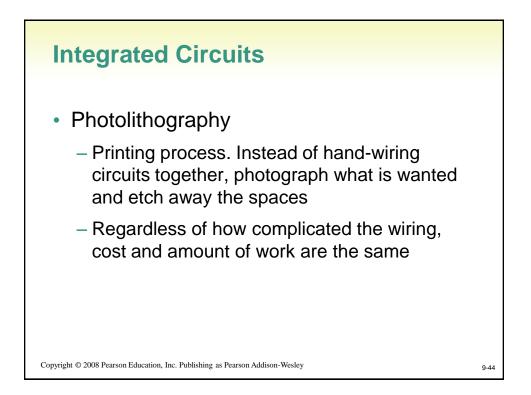
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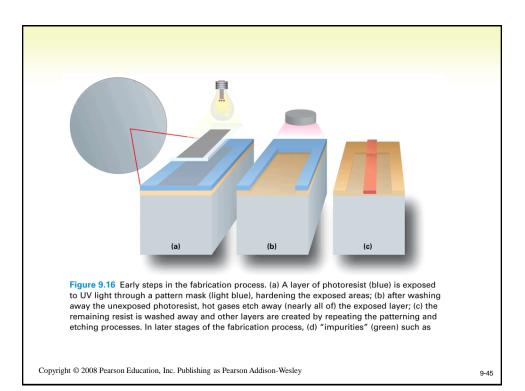


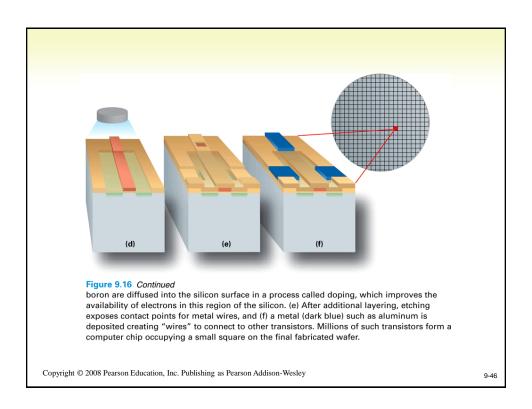


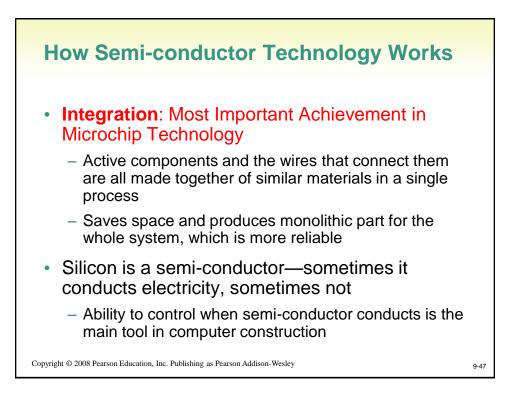
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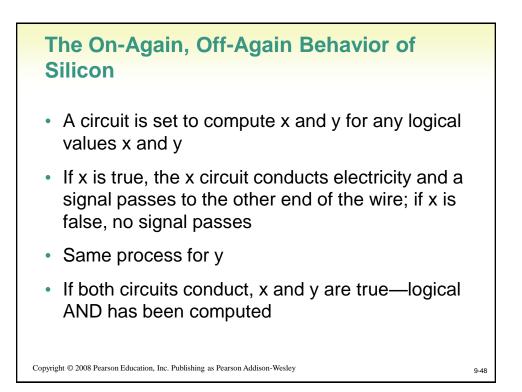


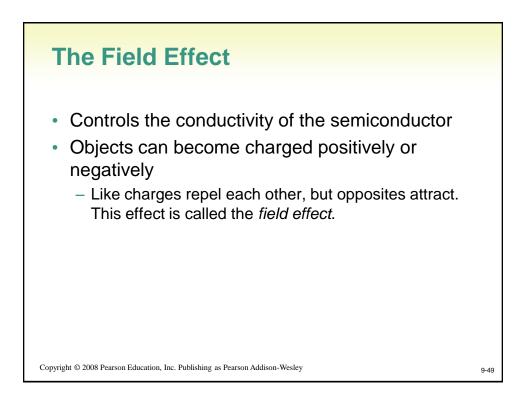


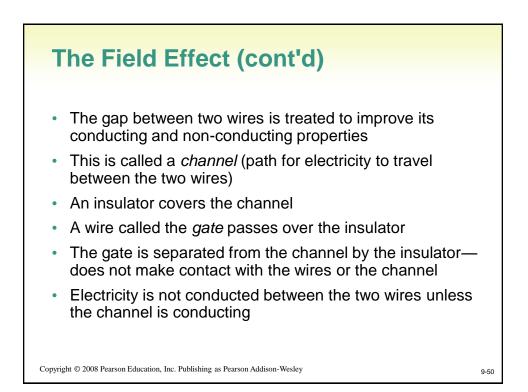


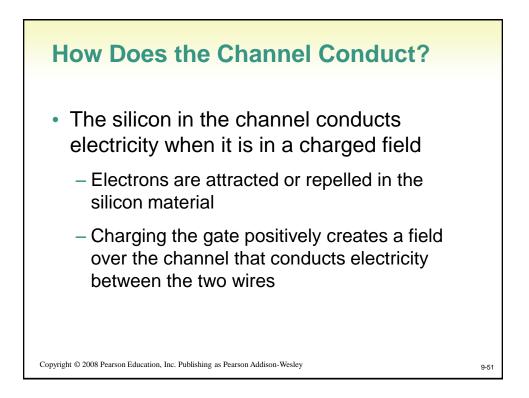


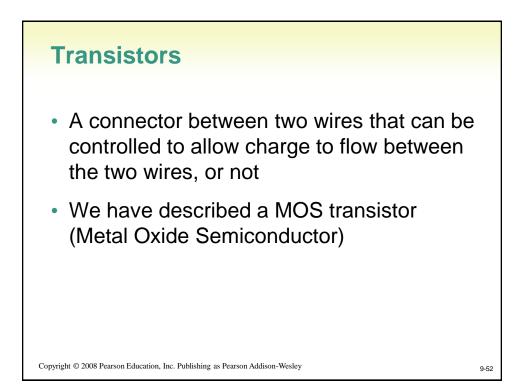


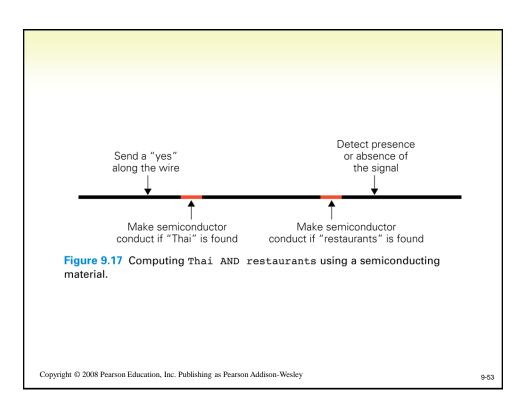


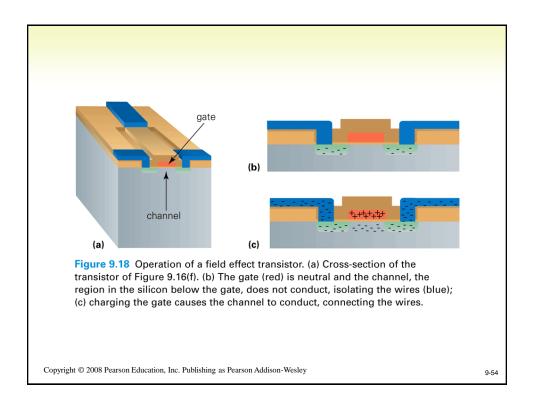


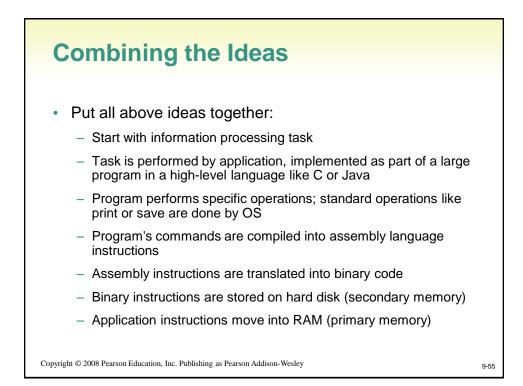


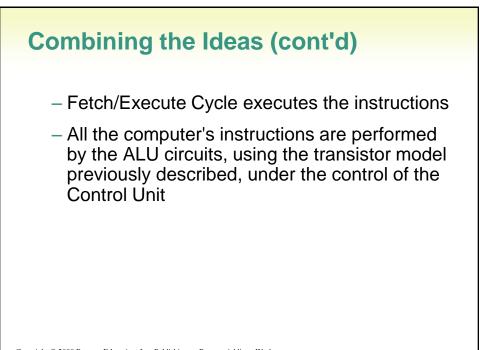












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